

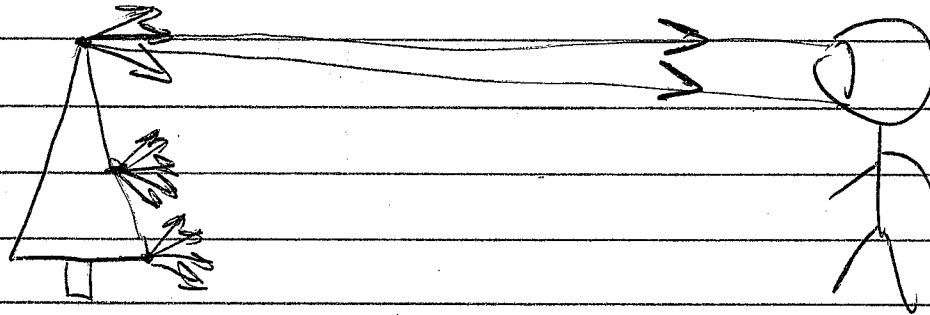
Phys 1402

2017-11-21

lec 23

How do we "see"?

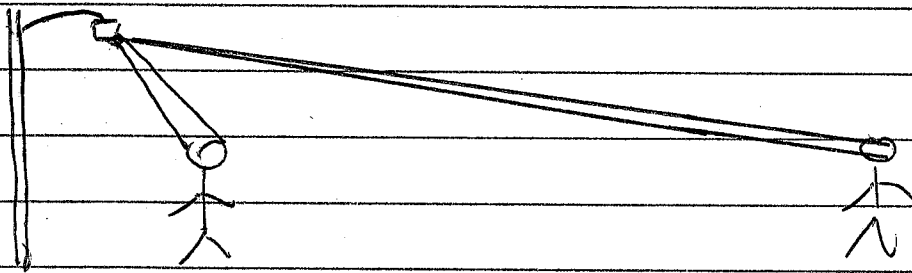
We observe many rays of light.



We see diverging rays coming from a common point.

Note: in drawings, we only trace some rays.

- Point Source
- 2 or 3 rays

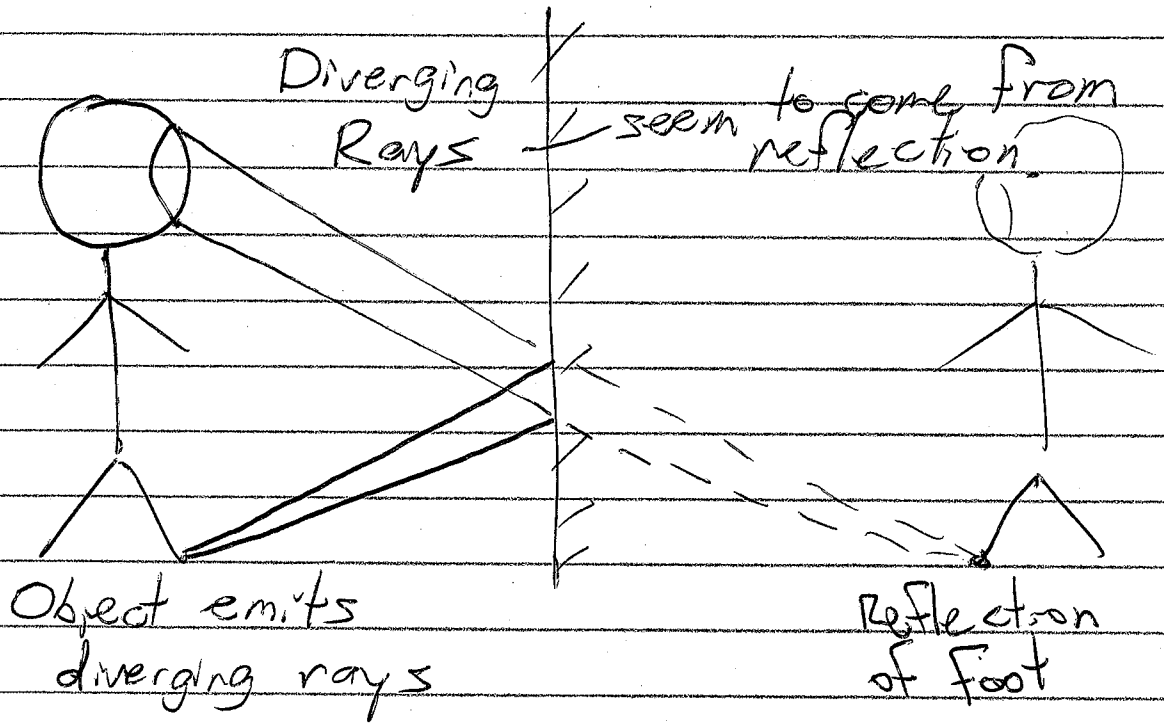


Near object
More Diverging Rays

Far object
Less Diverging

②

The eyes/brain can be fooled.
If we see rays diverging, we extend them mentally back to the apparent source.

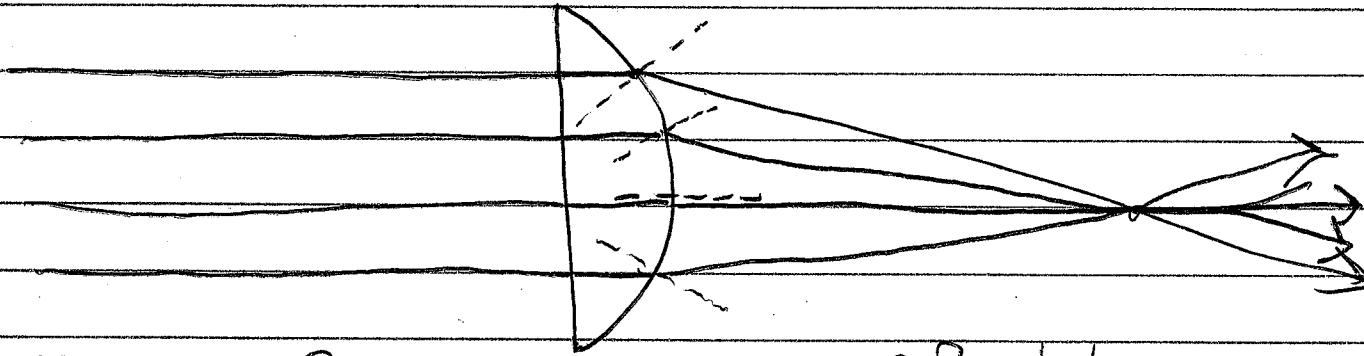


The observer sees the image, which is the apparent source of the rays.

This is a virtual image because the observed rays never actually cross.

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How does curved glass form a lens?



Incoming Rays
are parallel

Refracted rays
meet

$$n_1 \sin \theta_1 = n_2 \sin \theta_2$$

At back: $n_1 = 1.5$ (glass)

n decreases

$n_2 = 1.0$ (air)

θ increases

Converging Lens - Nudges rays toward each other.

When parallel rays hit a converging lens
the refracted rays cross at a point called
the focal point.

④

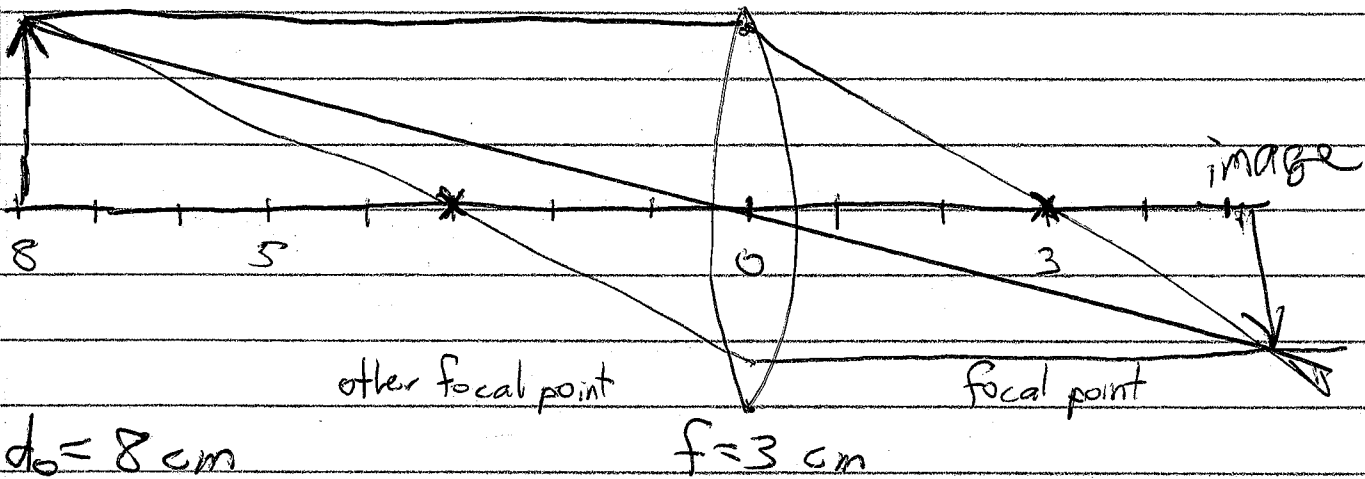
Lens Math

$$\frac{1}{p} + \frac{1}{q} = \frac{1}{f}$$

$p = d_o = \text{object dist.}$
 $q = d_i = \text{image dist.}$

$$\frac{1}{d_o} + \frac{1}{d_i} = \frac{1}{f}$$

$f = \text{focal length}$



$$\frac{1}{8} + \frac{1}{d_i} = \frac{1}{3}$$

$$\frac{1}{d_i} = \frac{1}{3} - \frac{1}{8} = \frac{8}{24} - \frac{3}{24} = \frac{5}{24}$$

$$d_i = \frac{24}{5} = 4.8 \text{ cm}$$

Ray Diagrams:

- Parallel Ray - refracted thru f .
- Central Ray - goes straight
- Focal Ray - bends parallel

Magnification:

$$m = \frac{-d_i}{d_o} = \frac{h_i}{h_o}$$

$$m = \frac{-4.8}{8} = -0.6$$

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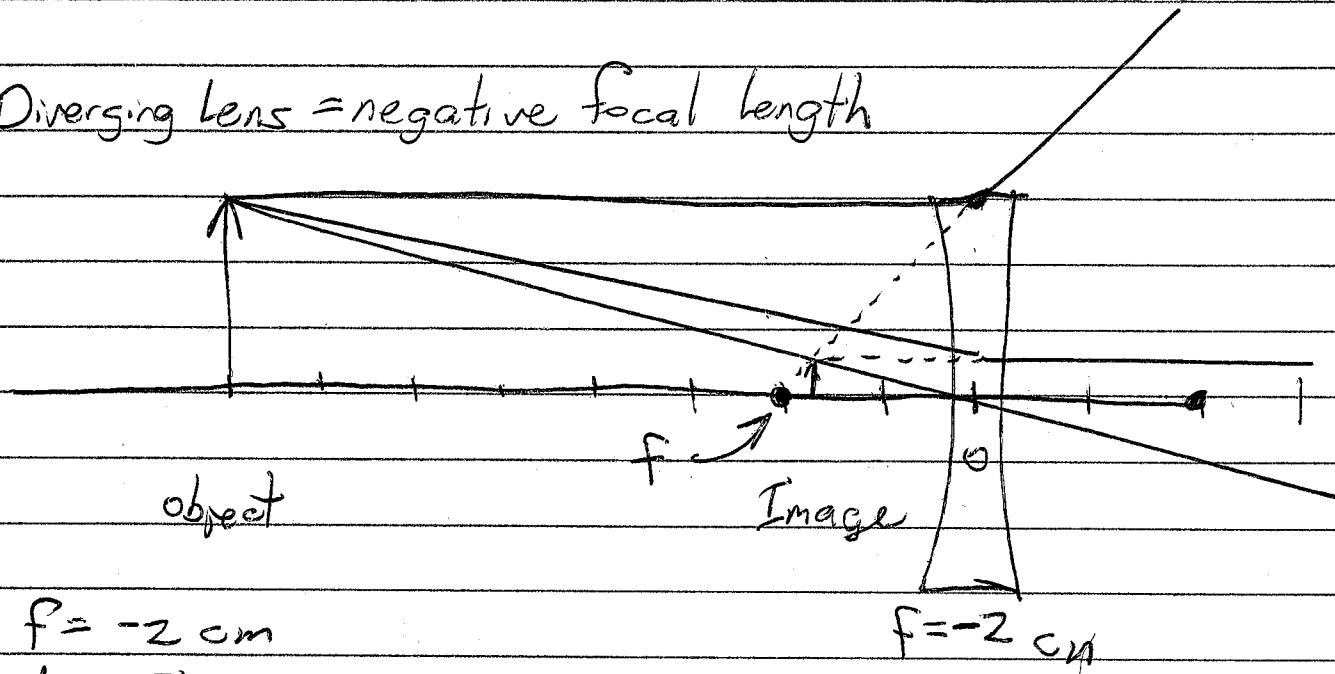
Converging lens, nearby object

$$f = 100 \text{ cm}$$
$$d_o = 60 \text{ cm}$$

$$\frac{1}{d_o} + \frac{1}{d_i} = \frac{1}{f}$$

$$d_i = \left(\frac{1}{100} - \frac{1}{60} \right)^{-1}$$
$$= -150 \text{ cm}$$

Diverging lens = negative focal length



$$f = -2 \text{ cm}$$

$$d_o = 8 \text{ cm}$$

$$d_i = \left(\frac{1}{-2} - \frac{1}{8} \right)^{-1} = \left(\frac{-4}{8} - \frac{1}{8} \right)^{-1} = \left(\frac{-5}{8} \right)^{-1} = -\frac{8}{5}$$
$$= -1.6 \text{ cm}$$