

Wave - a cascading oscillation in a set of connected oscillators.

Generally, disturbance travels in straight lines.

- Rays of light
- Velocity vector of wave

$$v = f \lambda$$

What keeps a wave from going forever in a straight line?

- Refraction
  - Reflection
  - Diffraction
  - Interference
- } Newtonian ~~Opt~~ Optics
- } Physical Optics

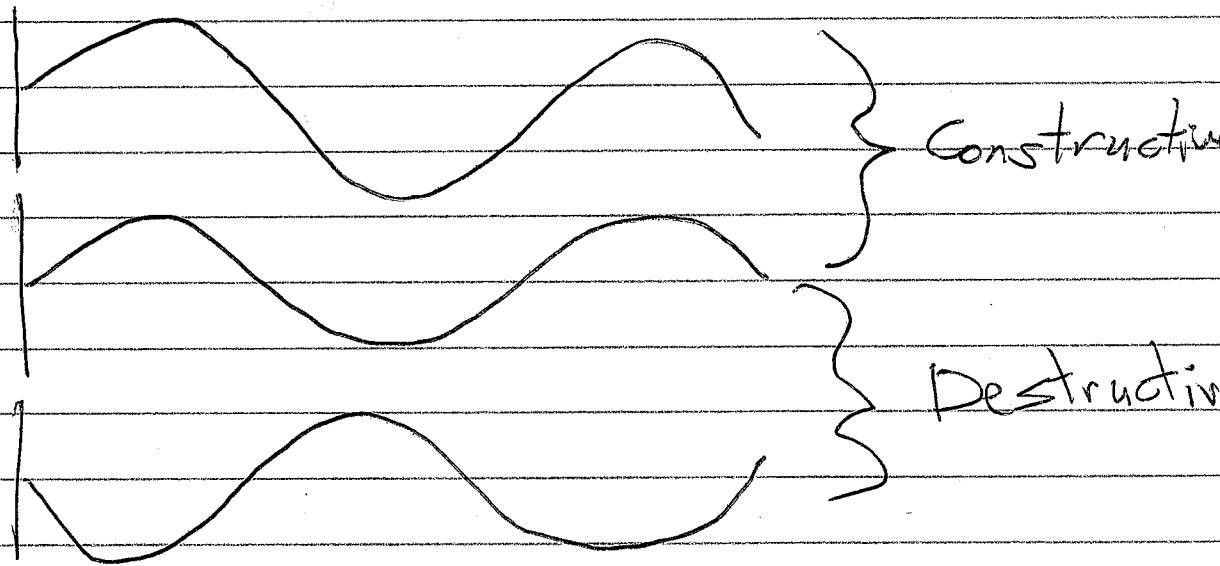
Why do waves diffract?

- Think about why they go straight to begin with. All of the oscillators.
- Change the oscillators, change the wave.
- Separate disturbances combine via addition.

②

Constructive Interference - Two waves combine at a point w/ matching peaks and valleys.

Destructive Interference - Waves combine with valleys-peaks opposite.



A sideways shift can control the interference,

How?

- Time Delay
- Path Length Difference

$\Delta l = 0 \rightarrow$  in phase = constructive

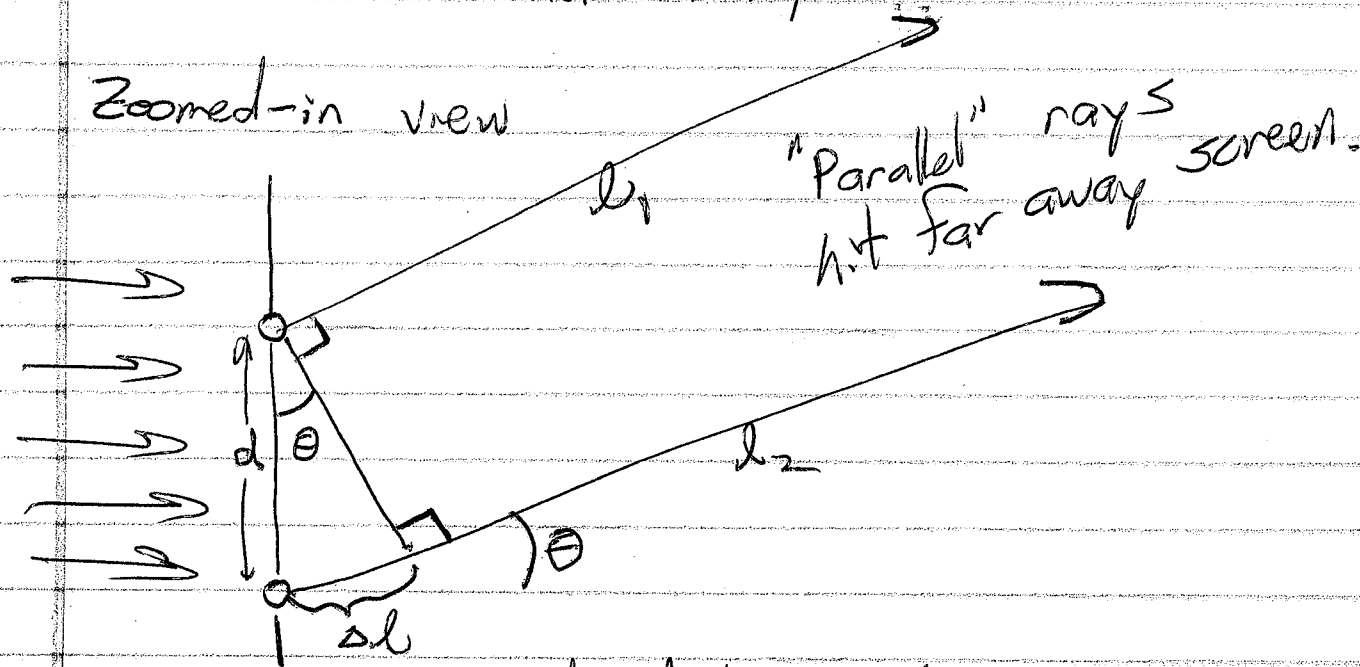
$\Delta l = \frac{1}{2} \lambda \rightarrow$  out of phase = destructive

Ex:  $\left. \begin{array}{l} l_1 = 3840 \text{ nm} \\ l_2 = 4100 \text{ nm} \end{array} \right\} \begin{array}{l} 260 \text{ nm} = \frac{1}{2} \lambda \\ 520 \text{ nm} = \lambda \end{array}$

③

A diffraction grating has many stripes or lines or rulings.

They are so close together that we can't see them individually.



openings in grating

$d$  = distance between openings  
 $\theta$  = observation angle from "straight"  
 $\Delta l$  = path length difference

If  $\Delta l = 0, d, 2d, 3d$  constructive

$\Delta l = d \sin \theta$  from triangle

$d \sin \theta = 0, d, 2d, \dots$  constructive

If  $m\lambda = d \sin \theta$ , and  $m = \text{integer}$ , constructive