

① Phys 2426 2014-11-24

Lenses

$$\frac{1}{p} + \frac{1}{q} = \frac{1}{f}$$

$$M = \frac{h_i}{h_o} = \frac{-q}{p}$$

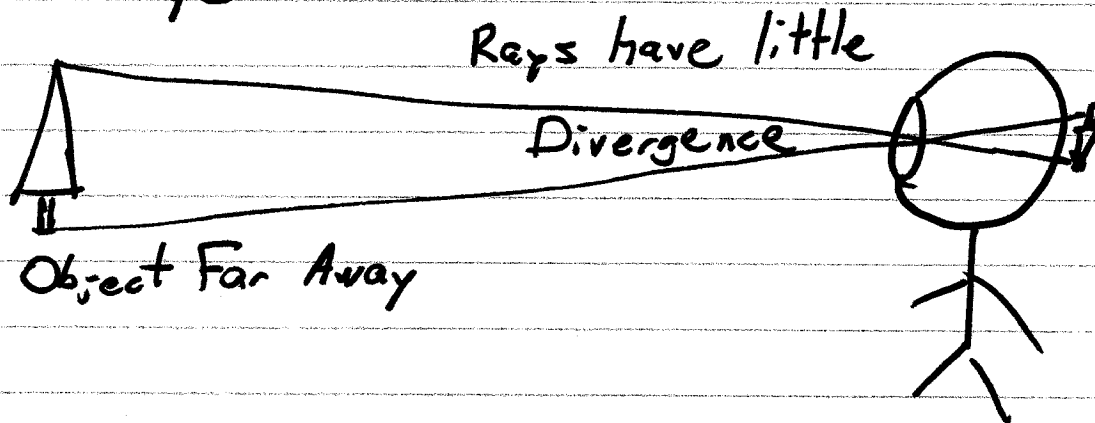
What do the results tell us?

q positive - real image
negative - virtual image

M positive - upright
negative - inverted

$|M|$ larger than 1 - enlarged
< 1 - reduced

The Eye

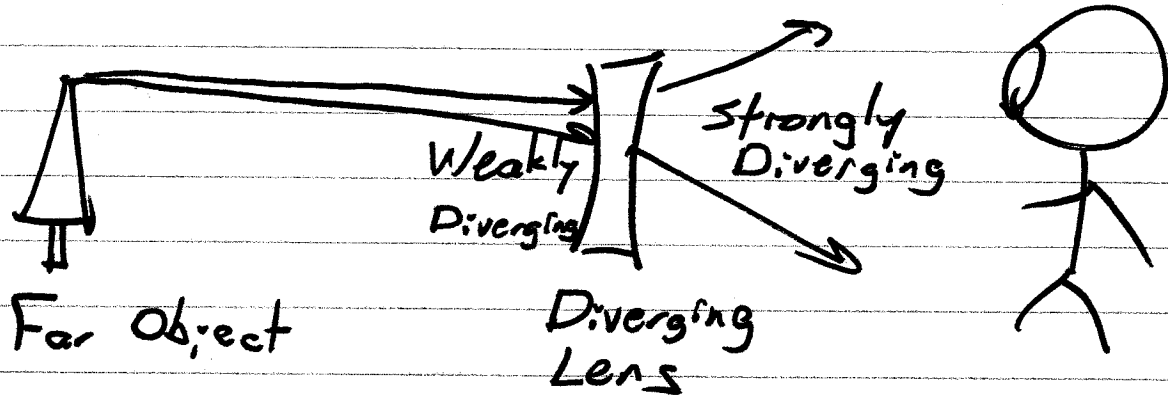


Divergence - How much does θ change as you move to the side $\frac{d\theta}{dy} = \frac{1}{x}$

②

~~WA~~ Nearsightedness - person needs the "object" to be near - person needs strongly diverging rays.

A diverging Lens makes the rays diverge more.



f is negative for Diverging Lens
 $p = \infty$ for Far object

$$\frac{1}{p} + \frac{1}{q} = \frac{1}{f} \quad q = f = \text{negative value}$$

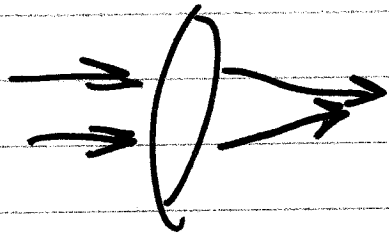
Whenever you look "thru" a lens,
 q is negative. The image is virtual.
See Figure 36.38.

③

Farsighted - need far "object"
- need weakly diverging rays.

A converging lens makes rays converge more,
or diverge less.

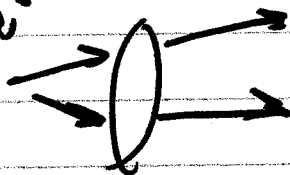
Far Obj:



"Projector Configuration"

rays
converge

Near Obj:



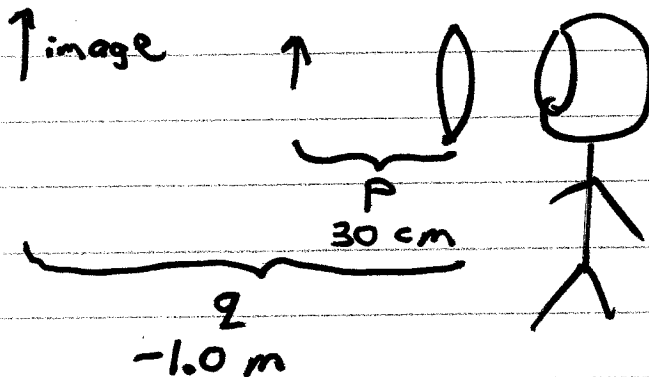
Rays Diverge

Less

Obj seems further.

Ex: Near Point 1.0 m

Want to read book @ 30 cm



$$\frac{1}{30} + \frac{1}{-100} = \frac{1}{f}$$

$$0.0233 = \frac{1}{f}$$

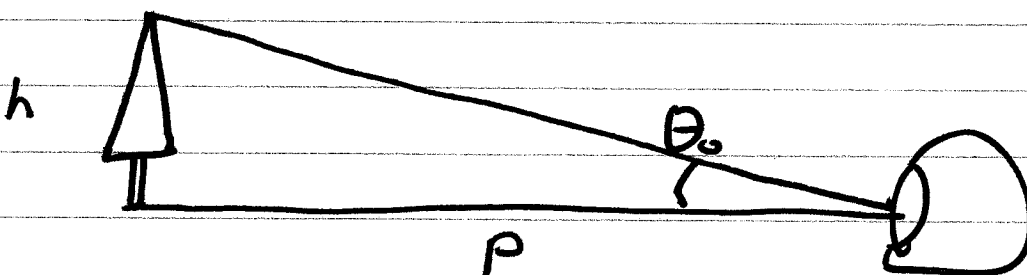
$$f = 42.9 \text{ cm}$$

④

Applications

- Magnifying Glass Fig 36.40
- Microscope .41
- Telescope .42

Angular Size



$$\tan \theta_0 = \frac{h}{p} \quad \theta_0 \approx \frac{h}{p} \quad \text{small angles in rad}$$

How can we maximize θ_0 ? Reduce p .

Minimum $p = d_{np}$

Maximum $\theta_0 = h / d_{np}$

Magnifying Glass - converging w/ small f .
Can place object at the focal point.

$$\frac{1}{p} + \frac{1}{q} = \frac{1}{f} \rightarrow \frac{1}{f} + \frac{1}{q} = \frac{1}{f} \rightarrow \frac{1}{q} = 0$$

$q = \infty$ image @ infinity

Now the object is closer without messing w/ our focus. How big?

For the Lens: $\Theta = h/p = h/f = \text{angle w/ Lens}$

Magnification $m = \frac{\Theta}{\theta_0} = \frac{h/f}{h/d_{np}} = \frac{d_{np}}{f}$

5

Can move image closer by moving the object closer. An extra magnification increment is introduced.

$$m_{\text{strained}} = m_{\text{relaxed}} + 1$$

Ex: A 6x magnifier

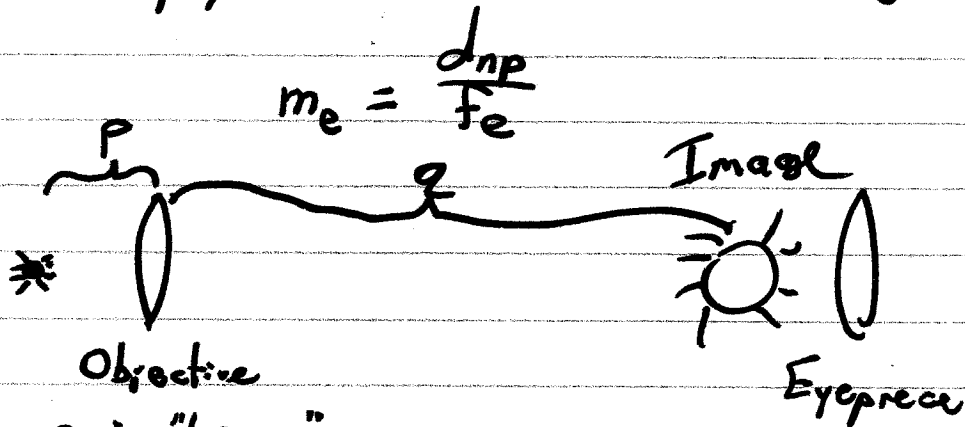
$$m_{\text{relaxed}} = 5 = \frac{d_{np}}{f} = \frac{25 \text{ cm}}{f}$$

$$f = 5 \text{ cm}$$

Microscope

Two Lenses

- Objective - projects an intermediate image.
- Obj. is further than f_o .
- $M_o = h_i/h_o = -q/p$
- Eyepiece - used as a magnifier.



q is "Large"
 $p \approx f_o$

$$M = \frac{-q}{p} = \frac{-L}{f_o}$$

Total Mag:

$$m = M_o m_e = -L \frac{d_{np}}{f_o f_e}$$